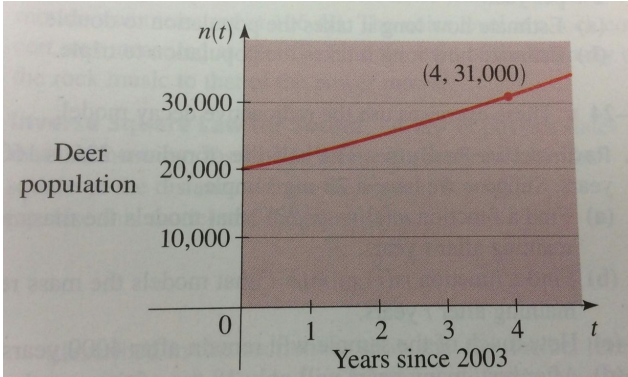


Math 1050 A4.6 More Modeling Exponentials	Name
<p>1. A certain culture of bacterium <i>Rhodobacter Spaeroides</i> initially has 25 bacteria and is observed to double every 5 hours.</p> <p>Equation:</p> <p>Estimate the number of bacteria after 18 hours.</p> <p>After how many hours will the bacteria count reach 1 million?</p>	<p>2. The fox population in a certain region has a continuous growth rate of 8% per year. It is estimated that the population in 2005 was 18,000.</p> <p>Equation:</p> <p>Use the function to estimate the population in the the year 2013.</p> <p>After how many years will the fox population reach 25,000?</p>
<p>3. The population of a country has a relative growth rate of 3% per year. The government is trying to reduce the growth rate to 2%. The population in 1995 was approximately 110 million. Find the projected population for the year 2020 for the following conditions.</p> <p>The relative growth rate remains at 3% per year.</p> <p>The relative growth rate is reduced to 2% per year.</p>	<p>4. The graph below shows the deer population in Pennsylvania county between 2003 and 2007. Assume that the population grows exponentially.</p>  <p>What was the deer population in Pennsylvania county between 2003?</p> <p>Find a function that models the deer population t years after 2003.</p> <p>What is the projected deer population in 2011?</p> <p>Estimate how long it takes the population to reach 100,000.</p>

<p>5. A culture starts with 8600 bacteria. After one hour the count is 10,000. Find a function that models the number of bacteria $n(t)$ after t hours.</p> <p>Find the number of bacteria after 2 hours.</p> <p>After how many hours will the number of bacteria double?</p>	<p>6. The half-life of radium-226 is 1600 years. Suppose we have a 22-mg sample. Find the function $m(t)$ that models the mass remaining after t years.</p> <p>How much of the sample will remain after 4000 years?</p> <p>After how many years will only 18mg of the sample remain?</p>
<p>7. Radium-221 has a half-life of 30 s. How long will it take for 95% of a sample to decay?</p>	<p>8. After 3 days a sample of radon-222 has decayed to 58% of its original amount. What is the half-life of radon-222?</p> <p>How long will it take the sample to decay to 20% of its original amount?</p>
<p>9. A wooden artifact from an ancient tomb contains 65% of the carbon-14 that is present in living trees. How long ago was the artifact made? (The half-life of carbon is 5730 years.</p>	<p>10. A learning curve is a graph of a function $P(t)$ that measures the performance of someone learning a skill as a function of the training time t. At first, the rate of learning is rapid. Then, as performance increases and approaches a maximal value M, the rate of learning decreases. It has been found that the function $P(t) = M - Ce^{-kt}$ where k and C are positive constants.</p> <p>a. Express the learning time t as a function of the performance level P.</p> <p>b. For a pole-vaulter in training, the learning curve is given by $P(t) = 20 - 14e^{-0.024t}$ where $P(t)$ is the height he is able to pole vault after t months. After how many months of training is he able to vault 12 ft?</p>

11. Solve $10^{1-x} = 6^x$

12. Solve $\log_3(x+15) - \log_3(x-1) = 2$

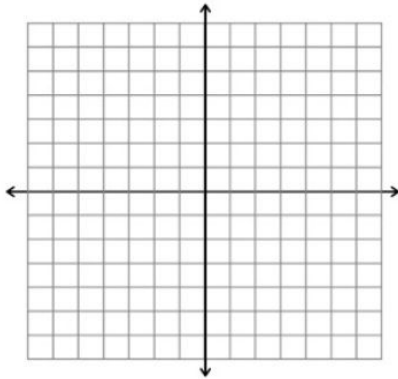
13. Solve for x
 $4x^3e^{-3x} - 3x^4e^{-3x} = 0$

14. Use the laws of logs to simplify:
 $\ln(\ln e^{e^{200}})$

15. Find the function of the form $y = \log_a x$ whose graph goes through the points (3,0.5)

16. Evaluate:
 $\log_8 0.25$

17. Graph the following and then state the domain and range of g(x).
 $f(x) = \log_4 x$
 $g(x) = 3\log_4(x+2)$



18. Find the domain of
 $f(x) = \log(x^2 - 25)$

19. You find an investment and it doubles once every 7.5 years, how long until your amount triples.

20. Find the average rate of change from $x = 2$ to $x = x + h$ for $f(x) = 3x^2$